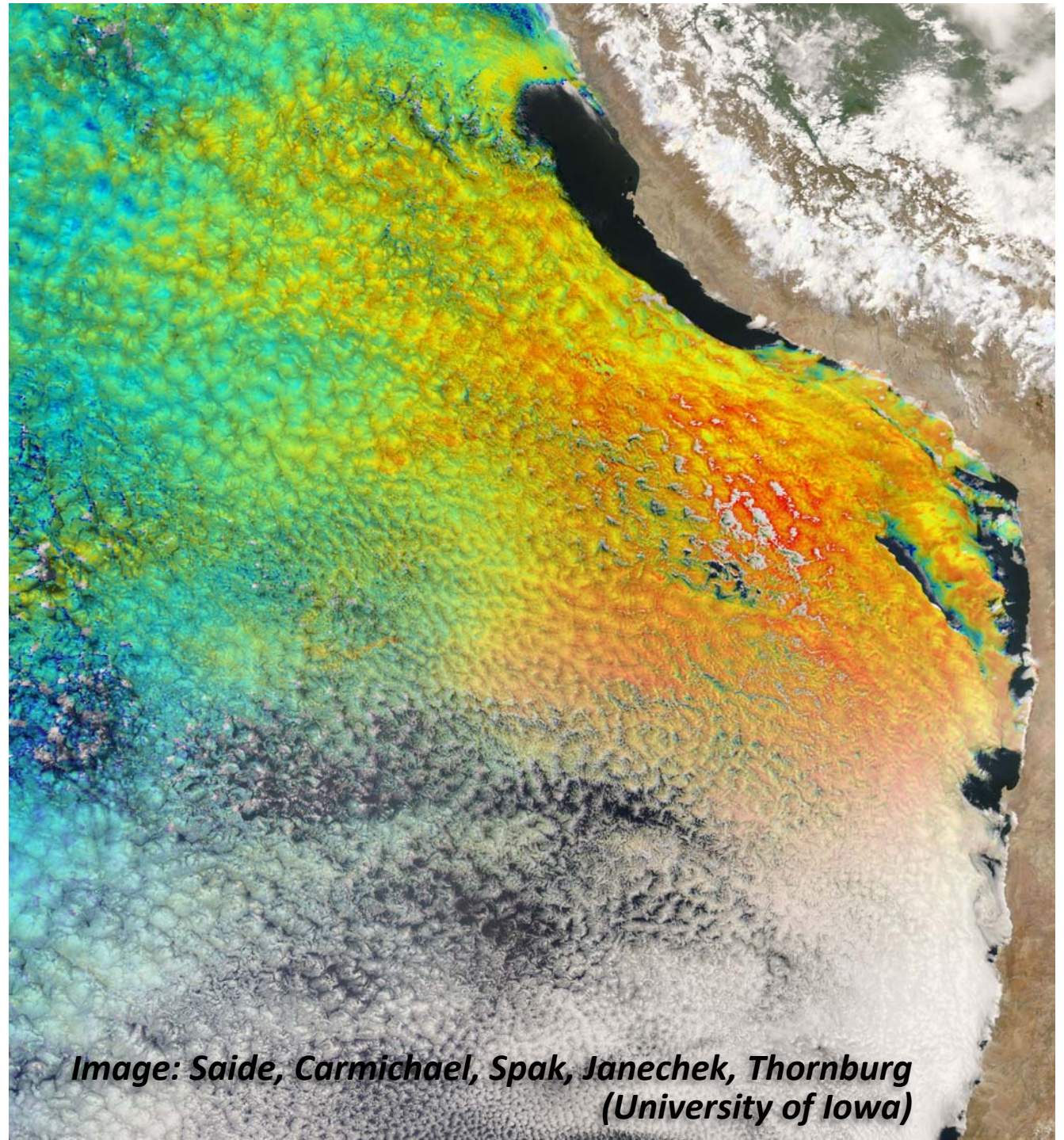


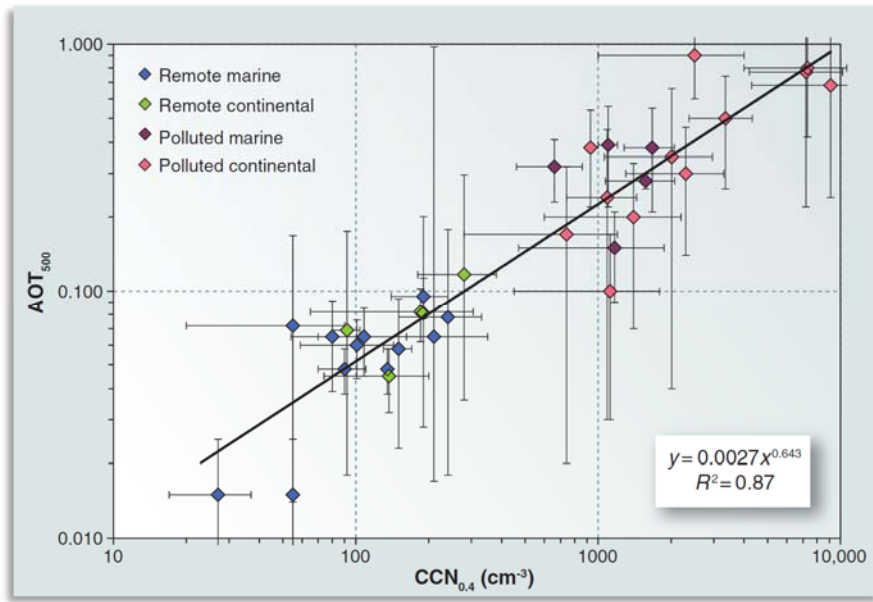
Observational constraints on aerosol indirect effects and controlling processes

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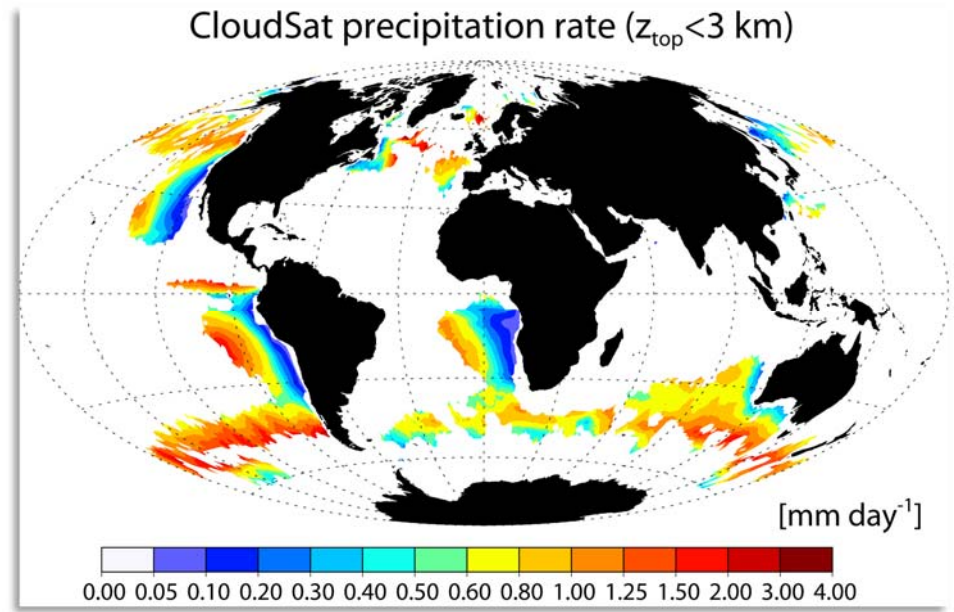


Motivating questions

- What are spaceborne aerosol measurements telling us about CCN?
- What are CCN over the remote oceans telling us about (anthropogenic aerosol sources)?

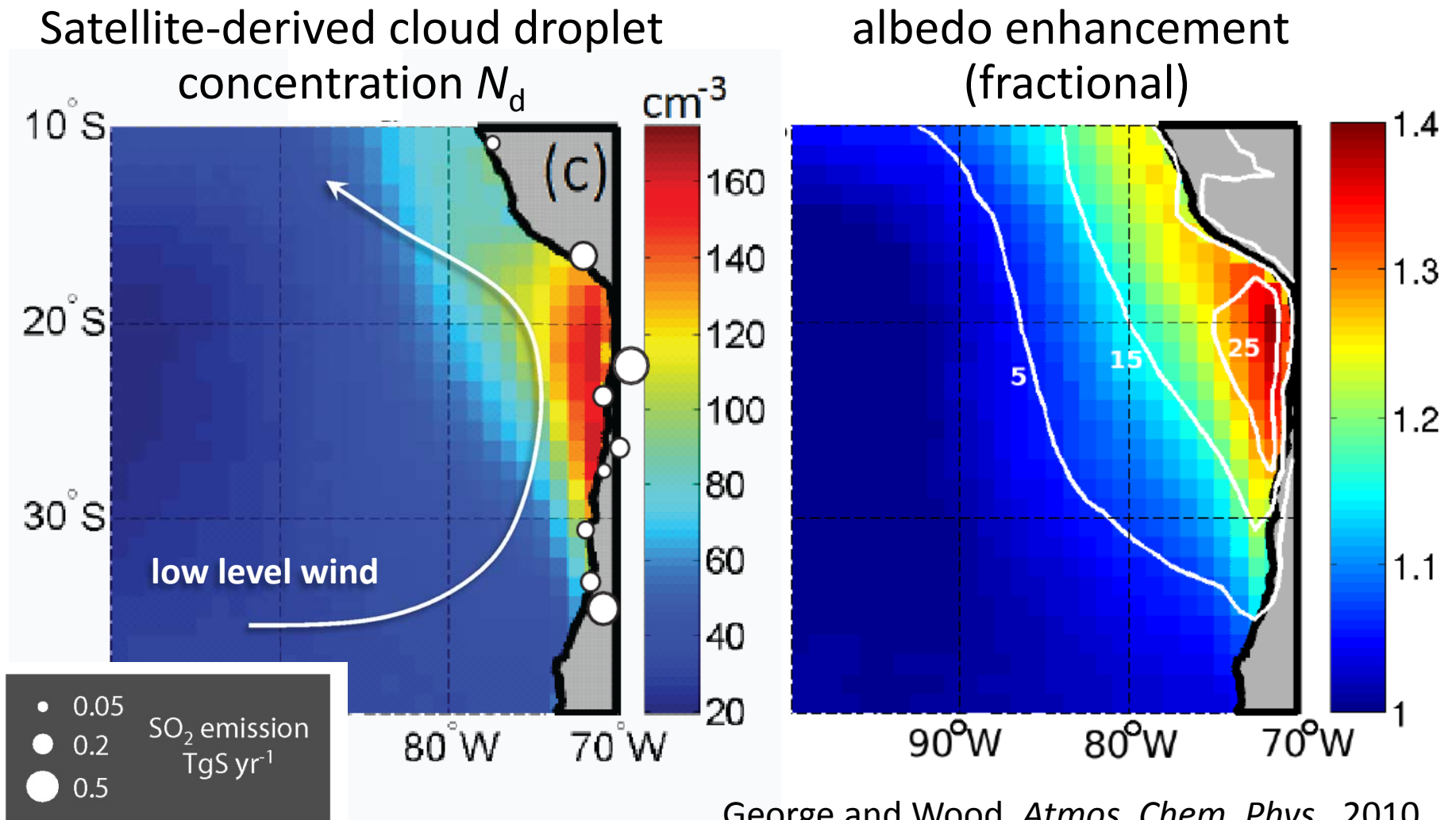


Rosenfeld et al., *Science*, 2008



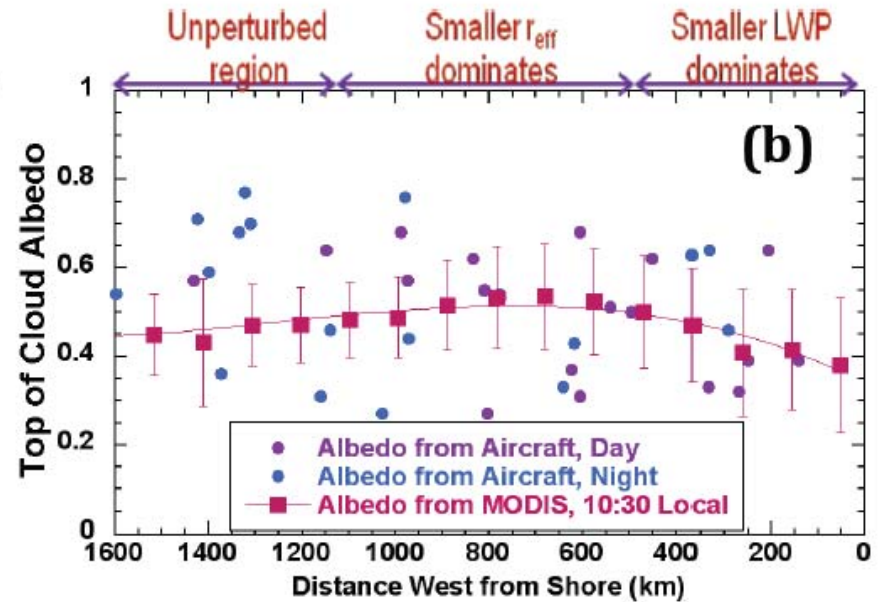
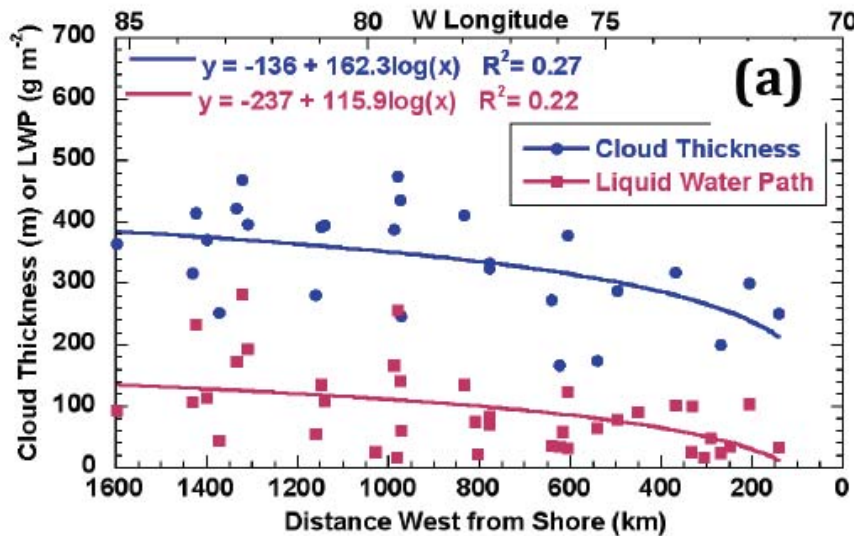
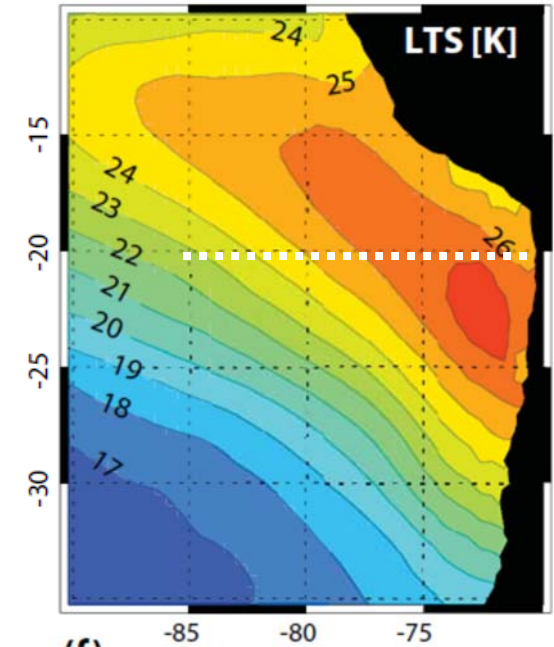
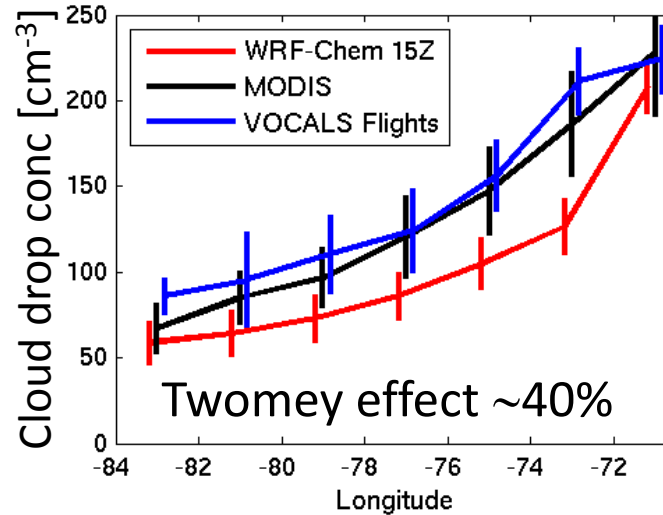
Wood et al *J. Geophys. Res.*, 2012

Regional gradients: Strong aerosol indirect effects in an extremely clean background



Regional gradients

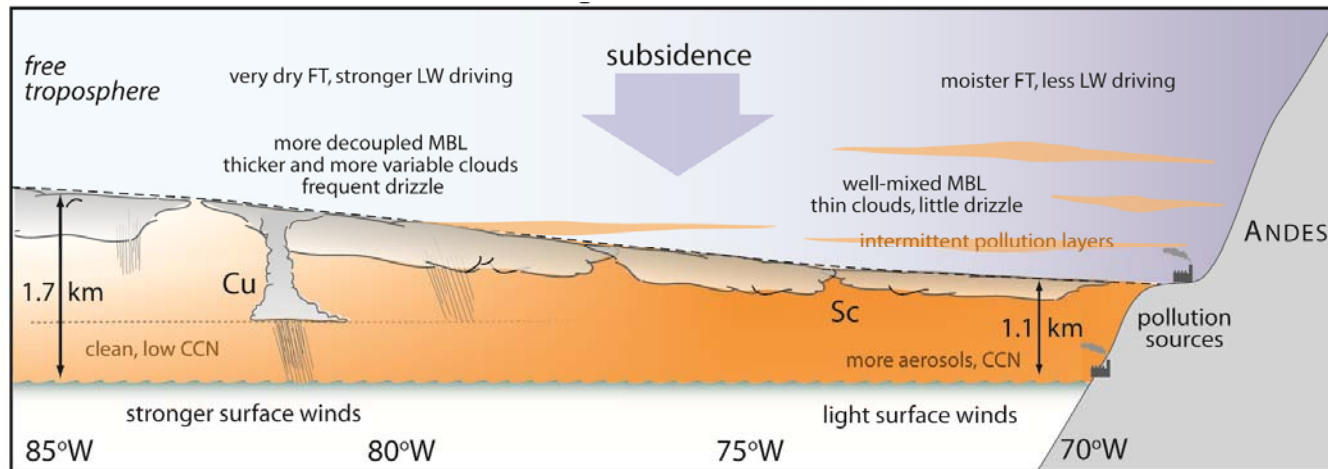
- Cloud albedo changes dominated by meteorological effects despite large Twomey effect



Twohy et al. (ACPD, 2012)

Does satellite AOD inform about CCN?

VOCALS as a testbed for understanding aerosol variability



- Break down aerosol optical depth τ into constituent parts

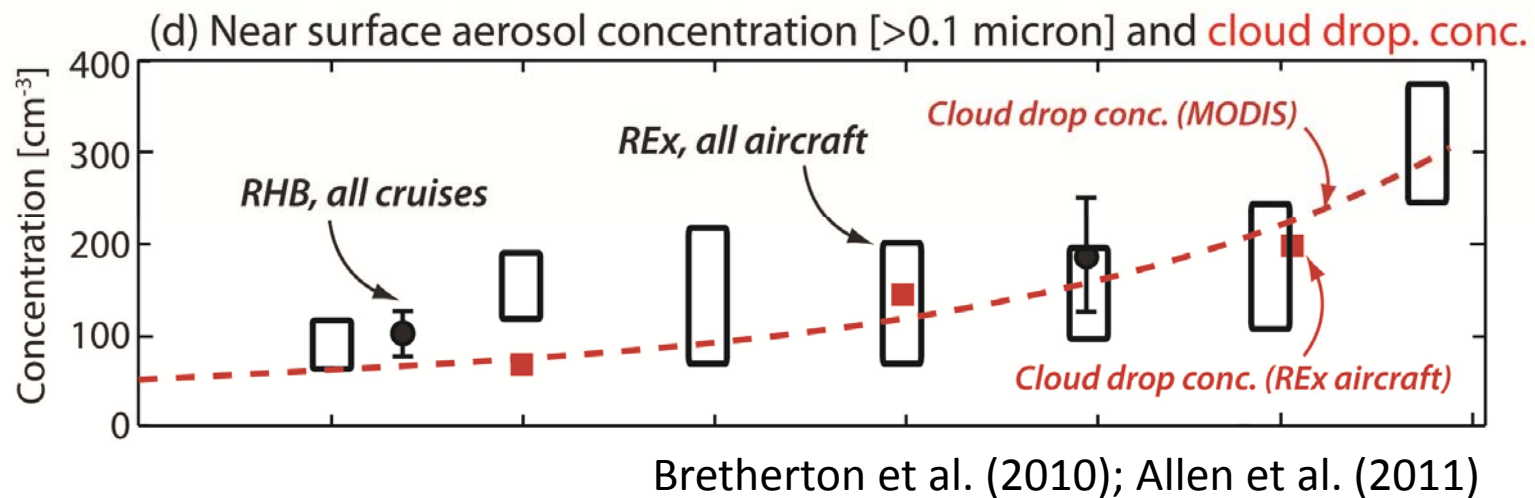
$$\tau = \overset{\text{dry extinction}}{\sigma} \overset{\text{aerosol layer depth}}{G_{\sigma}} \overset{\text{Hygroscopic growth}}{h}$$

$$\frac{d\tau}{\tau} = \frac{d\sigma}{\sigma} + \frac{dG_{\sigma}}{G_{\sigma}} + \frac{dh}{h} = \frac{dN_a}{N_a} + 3 \frac{dD_3}{D_3} + \frac{dG_{\sigma}}{G_{\sigma}} + \frac{dh}{h}$$

$$\frac{d\tau}{\tau} = \frac{d\sigma}{\sigma} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h} = \frac{dN_a}{N_a} + 3 \frac{dD_3}{D_3} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h}$$

Three longitude bins: 80-85°W, 75-80°W, 70-75°W

dX is the increase from offshore to coastal bin; X is the mean value



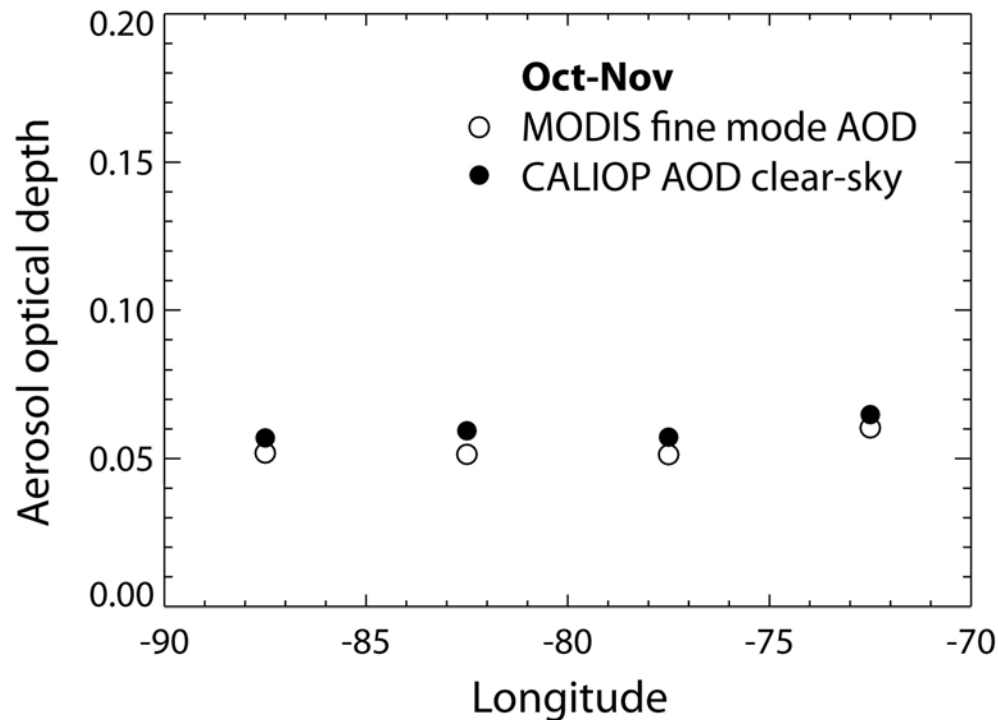
$$\frac{dN_a}{N_a} = \mathbf{0.72}$$

$$\frac{dN_d}{N_d} = \mathbf{0.80}$$

$$\frac{d\tau}{\tau} = \frac{d\sigma}{\sigma} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h} = \frac{dN_a}{N_a} + 3 \frac{dD_3}{D_3} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h}$$

Three longitude bins: 80-85°W, 75-80°W, 70-75°W

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$$\frac{d\tau}{\tau} = \mathbf{0.09} \text{ (CALIOP)}$$

$$\mathbf{0.17} \text{ (MODIS)}$$

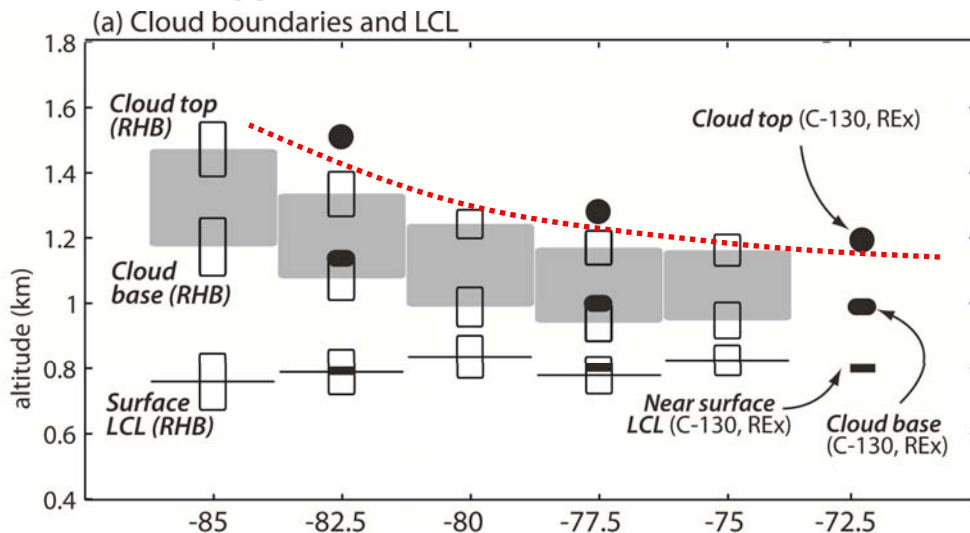
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Three longitude bins: 80-85°W, 75-80°W, 70-75°W

dX is the increase from offshore to coastal bin; X is the mean value

$$3 \frac{dD_3}{D_3} = -\mathbf{0.38} \quad [D_3 \text{ decreases from } 0.28 \text{ to } 0.25 \mu\text{m}]$$

$$\frac{dh}{h} = -\mathbf{0.25} \quad [\text{MBL depth decreases from } 1.5 \text{ to } 1.2 \text{ km}]$$



Bretherton et al. (2010);
de Szoeke et al. (2012)

$$\frac{d\tau}{\tau} = \frac{d\sigma}{\sigma} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h} = \frac{dN_a}{N_a} + 3\frac{dD_3}{D_3} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h}$$

$$\frac{d\sigma}{\sigma} = \mathbf{0.33} = \mathbf{0.72 - 0.38}$$

\uparrow
Nephelometer

$= 0.34$
PCASP

Closure achieved for dry aerosol scattering

$$\frac{d\tau}{\tau} = \frac{dN_a}{N_a} + 3 \frac{dD_3}{D_3} + \frac{dG_\sigma}{G_\sigma} + \frac{dh}{h}$$



$$\frac{d\tau}{\tau} = \mathbf{0.09}$$

to **0.17**

$$\frac{dN_a}{N_a} = \mathbf{0.72}$$

$$3 \frac{dD_3}{D_3} = \mathbf{-0.38}$$

$$\frac{dh}{h} = \mathbf{-0.25}$$

$$\frac{dG_\sigma}{G_\sigma} = \mathbf{0.0-0.24^*}$$

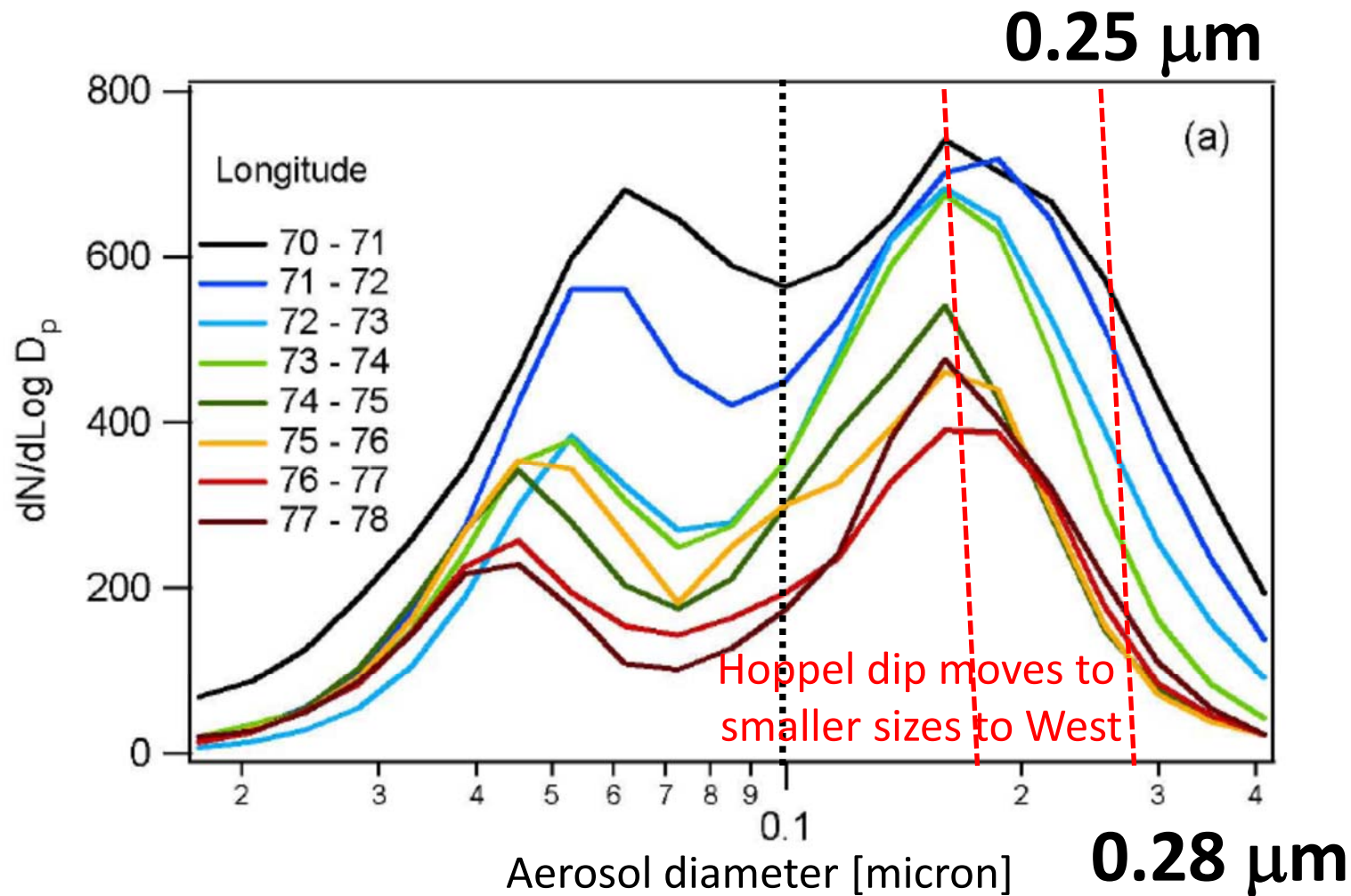
$$= \mathbf{0.09-0.17}$$

$$\mathbf{0.09-0.33}$$

*highly uncertain

⇒ Large increase in conc. offset by reduction in size, and MBL depth

Changes in size are small, but important



"The droplet mode size is nearly invariant"

Kleinman et al. (ACP, 2011)

What controls CCN and cloud microphysical variability in the marine boundary layer?

A simple CCN budget for the PBL

$$\dot{N} = \dot{N}_{\text{FT}} + \dot{N}_{\text{S}} + \dot{N}_{\text{PROD}} + \dot{N}_{\text{P}} + \dot{N}_{\text{DRY}} + \dot{N}_{\text{ADV}}$$

ENTRAINMENT NUCLEATION/SECONDARY DRY DEP.

SURF. SOURCE PRECIP. SINK ADVECTION

- Assume nucleation/secondary processes unimportant
- Dry deposition is negligible (Georgi 1990)
- Sea-spray formulation (e.g. Clarke et al. 2006)
- Ignore advection
- Precipitation sink primarily from accretion process
- Equivalency of CCN and cloud drop conc. N_d

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Steady-state CCN budget

$$N_{eq} = \frac{\left(N_{FT} + \frac{F(\sigma)U_{10}^{3.41}}{Dz_i} \right)}{\left(1 + \frac{hKP_{CB}}{Dz_i} \right)}$$

FREE TROPOSPHERIC CCN

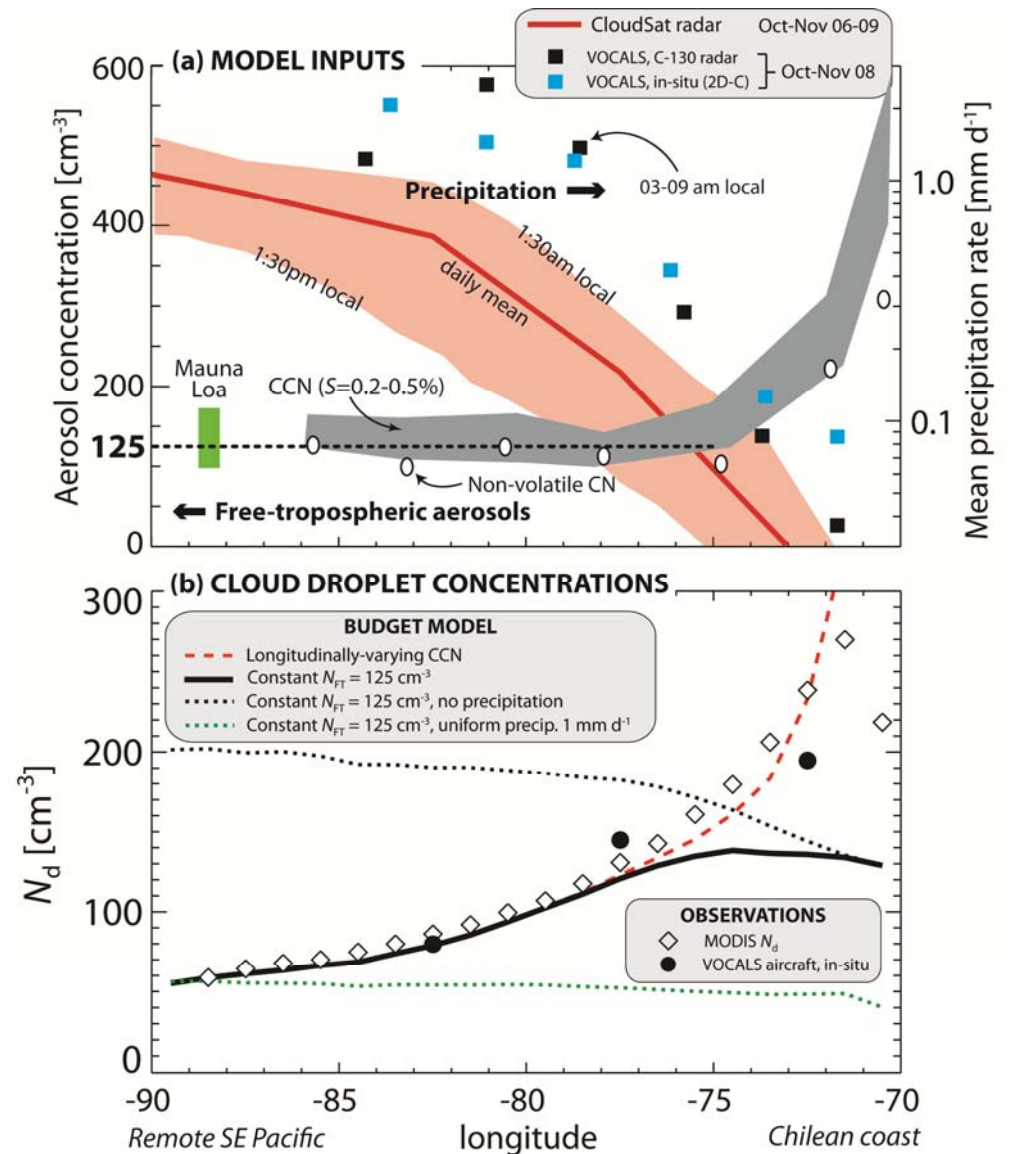
SEA-SPRAY PRODUCTION

PRECIP. SINK

- Concentration relaxes to FT concentration N_{FT} + wind speed dependent surface contribution dependent upon subsidence rate (Dz_i)
- Precipitation sink controlled by precipitation rate at cloud base P_{CB} . Use expression from Wood (2006).

Precipitation important in controlling gradient in cloud droplet concentration

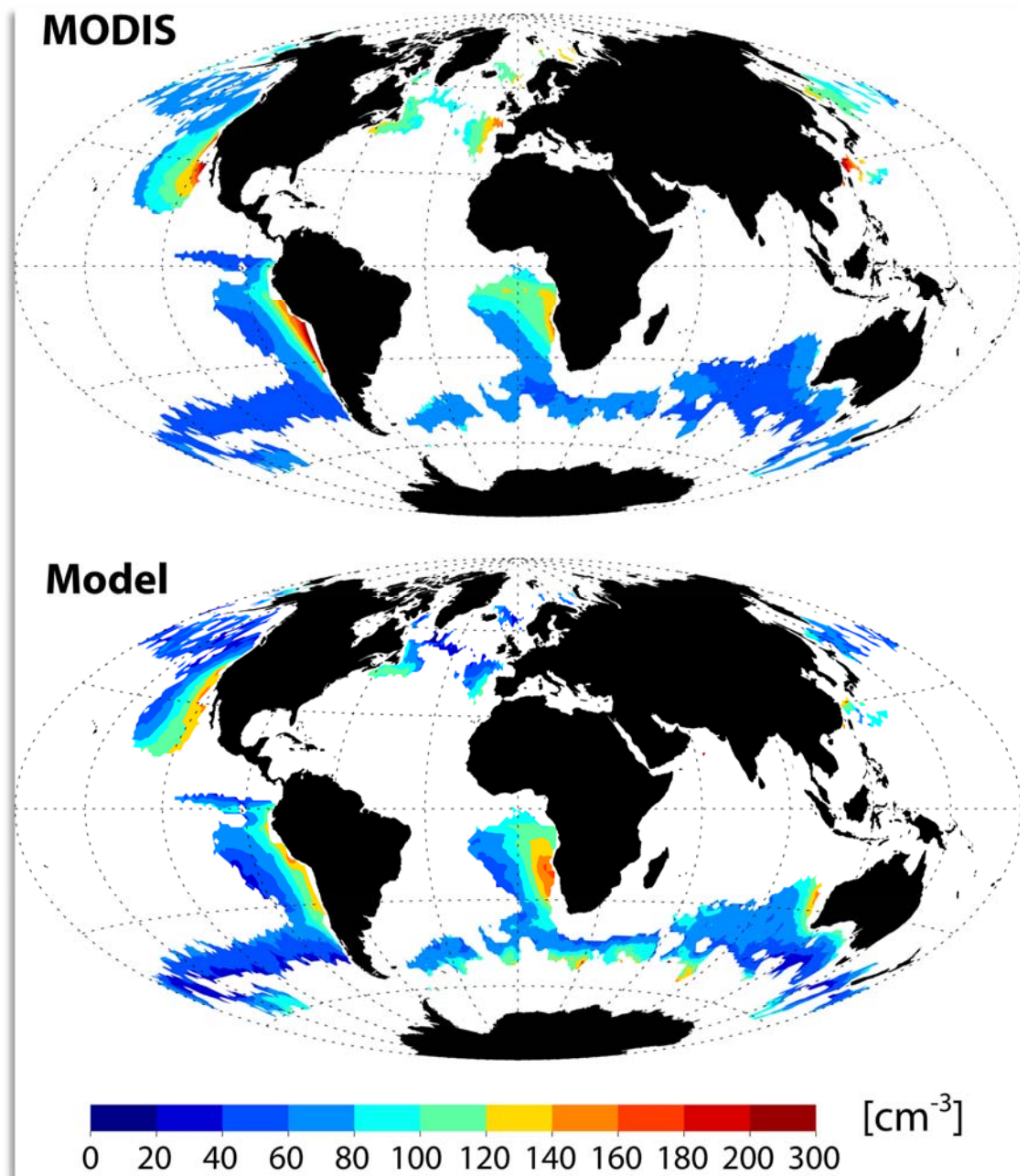
- Assume constant FT aerosol concentration
- Precipitation from CloudSat estimates from Lebsock and L'Ecuyer (2011)
- Observed surface winds
- Model N_d gradients mostly driven by precipitation sinks



Wood et al. (*J. Geophys. Res.* 2012)

**Precipitation is
primary control of
 N_d away from
coastal zones**

Model reproduces
significant amount of
variance in N_d over
oceans \Rightarrow implications
for interpretation of AOD
vs r_e relationships



Wood et al. (*J. Geophys. Res.* 2012)

Thoughts

- Much more work is required to interpret remotely-sensed AOD measurements as providing useful information about CCN
 - VOCALS region shows a doubling of Nd from the remote ocean to the coast but only a 10% increase in AOD
 - Differences explained by decreasing MBL depth and aerosol size
 - Need assimilation approaches, e.g. Saide et al. (2012)
- A large fraction of the variability in cloud droplet concentration over the remote oceans is driven by precipitation sinks as opposed to aerosol sources
 - Confounds interpretation of cloud vs aerosol relationships as indicative of aerosol indirect effects caused by anthropogenic pollution sources

Separating aerosol impacts from meteorological impacts on clouds

- Aerosol impacts on clouds are not simply explained by Twomey's arguments
- Changes in macrophysical cloud properties produce radiative impacts of same order as those from Twomey (e.g. Lohmann and Feichter 2005, Isaksen et al. 2009)

Aerosol impacts on cloud

- An observed change in cloud property C is caused by changes due to meteorology M and aerosols A :

$$\delta C = \underbrace{\left(\frac{\partial C}{\partial M}\right)_A}_{\text{meteorology-driven}} \delta M + \underbrace{\left(\frac{\partial C}{\partial A}\right)_M}_{\text{aerosol-driven}} \delta A$$

- To determine aerosol-driven changes on C , one needs to measure meteorology-driven changes
- This is a particularly arduous task, as the following examples demonstrate

Shiptracks

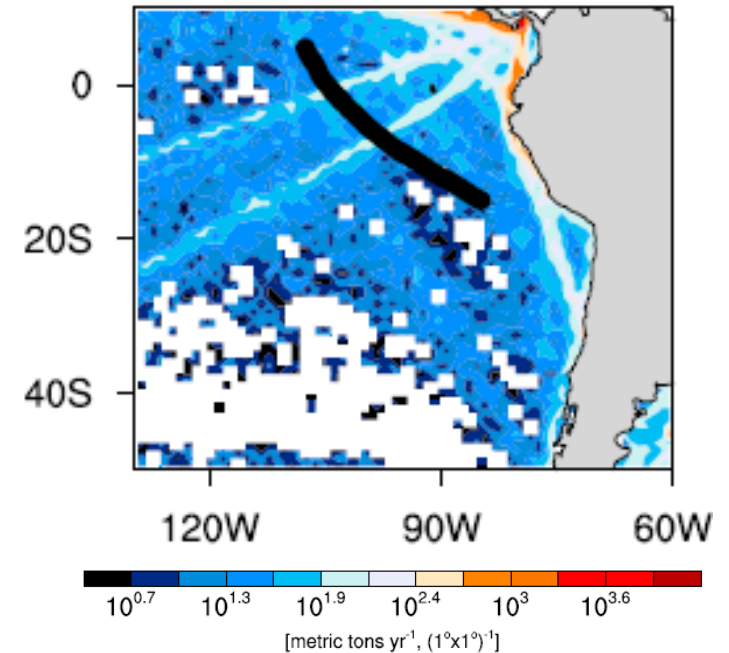


$$\delta C = \left(\frac{\partial C}{\partial M}\right)_A \delta M + \left(\frac{\partial C}{\partial A}\right)_M \delta A$$

~~δM~~
 $= 0$

Shipping lanes

- Shipping emissions increase along preferred lanes
- **Control** clouds upstream; **perturbed** clouds downstream

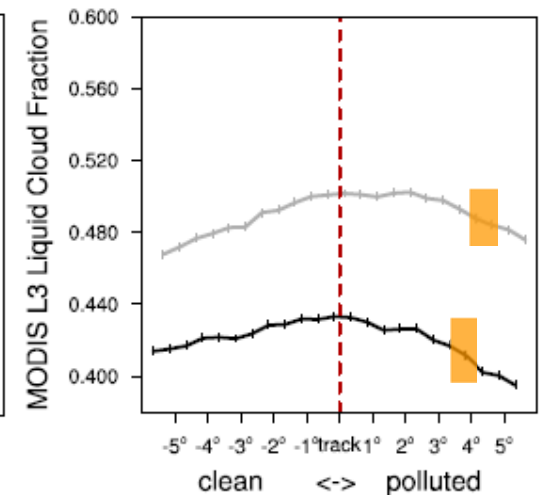
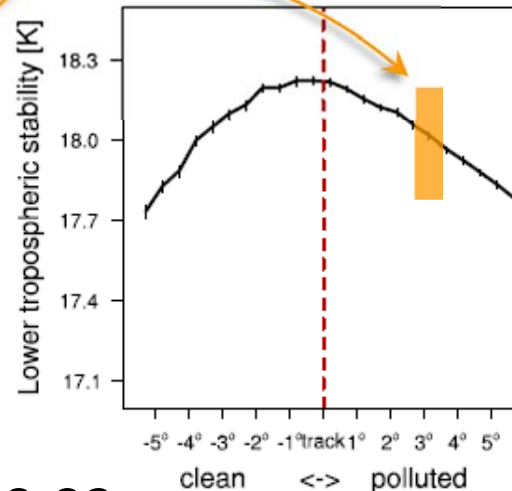


$$\delta f = \left(\frac{\partial f}{\partial LTS} \right)_A \delta LTS + \left(\frac{\partial f}{\partial A} \right)_M \delta A$$

Klein and Hartmann (1993)

$$\left(\frac{\partial f}{\partial LTS} \right)_A \delta LTS = 0.06 \text{ K}^{-1} \times 0.4 \text{ K} = 0.024$$

Observed $\delta f \approx 0.02-0.03$



A cloud cover increase of 0.02 represents a radiative forcing of 2 W m^{-2}

Peters et al. (ACP, 2011)

(Mostly) regulating feedbacks in stratocumulus

