



ILMATIETEEN LAITOS  
METEOROLOGISKA INSTITUTET  
FINNISH METEOROLOGICAL INSTITUTE

**Information content  
analysis: Combination of  
satellite and ground-  
based observations  
enables more accurate  
aerosol SSA retrievals at  
low aerosol loadings**

Antti Lipponen and Antti Arola





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x: meeting was in Barcelona



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x: meeting was in Barcelona

Helsinki      50%

Barcelona      50%



x: meeting was in Barcelona  
y: it was afternoon

Helsinki	50%
Barcelona	50%



x: meeting was in Barcelona

y: it was afternoon

Helsinki

Barcelona

50%

50%



Morning 40%

Afternoon 60%

Morning 40%

Afternoon 60%



$$\text{Bayes' theorem } p(\textcolor{red}{x}|\textcolor{green}{y}) = \frac{p(\textcolor{green}{y}|\textcolor{red}{x}) p(\textcolor{red}{x})}{p(\textcolor{green}{y})}$$

$\textcolor{red}{x}$ : meeting was in Barcelona

$\textcolor{green}{y}$ : it was afternoon

Helsinki

Barcelona

50%

50%



Morning 40%

Afternoon 60%

Morning 40%

Afternoon 60%



$$\text{Bayes' theorem } p(\text{x|y}) = \frac{p(\text{y|x}) p(\text{x})}{p(\text{HEL} \& \text{afternoon}) + p(\text{BCN} \& \text{afternoon})}$$

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y: it was afternoon

Helsinki

50%

Barcelona

50%



Morning	40%
Afternoon	60%



Morning	40%
Afternoon	60%



$$\text{Bayes' theorem } p(\mathbf{x}|\mathbf{y}) = \frac{p(\mathbf{y}|\mathbf{x}) p(\mathbf{x})}{p(\text{HEL} \text{ & afternoon}) + p(\text{BCN} \text{ & afternoon})}$$

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$$= \frac{0.6 * 0.5}{0.5 * 0.6 + 0.5 * 0.6} =$$

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50%

Barcelona

50%

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$$= \frac{0.6 * 0.5}{0.5 * 0.6 + 0.5 * 0.6} = 0.5$$

x: meeting was in Barcelona

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Helsinki 50%

Barcelona 50%

Morning	40%
Afternoon	60%

Morning	40%
Afternoon	60%

Bayes' theorem       $p(x|y) = \frac{p(y|x) p(x)}{p(y)}$

x: meeting was in Barcelona



Bayes' theorem     $p(x|y) = \frac{p(y|x) p(x)}{p(y)}$

x: meeting was in Barcelona

y: it was sunny



Bayes' theorem

$$p(x|y) = \frac{p(y|x) p(x)}{p(y)}$$

x: meeting was in Barcelona

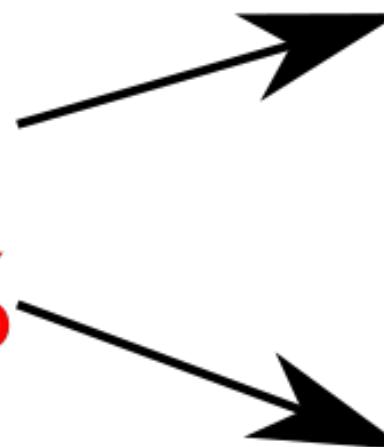
y: it was sunny

Helsinki

50%

Barcelona

50%



Sunny	10%
Rainy	90%

Sunny	95%
Rainy	5%



$$\text{Bayes' theorem } p(x|y) = \frac{p(y|x) p(x)}{p(\text{HEL} \& \text{sunny}) + p(\text{BCN} \& \text{sunny})}$$

x: meeting was in Barcelona

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50%

Barcelona

50%

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Sunny	95%
Rainy	5%

$$\text{Bayes' theorem } p(x|y) = \frac{p(y|x) p(x)}{p(\text{HEL} \& \text{sunny}) + p(\text{BCN} \& \text{sunny})}$$

$$= \frac{p(y|x) p(x)}{p(\text{HEL} \& \text{sunny}) + p(\text{BCN} \& \text{sunny})}$$

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$$\text{Bayes' theorem } p(x|y) = \frac{p(y|x) p(x)}{p(\text{HEL} \& \text{sunny}) + p(\text{BCN} \& \text{sunny})}$$

$$= \frac{0.95 * 0.5}{0.5 * 0.1 + 0.5 * 0.95}$$

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Bayes' theorem  $p(x|y) = \frac{p(y|x)p(x)}{p(\text{HEL} \& \text{sunny}) + p(\text{BCN} \& \text{sunny})}$

$$= \frac{0.95 * 0.5}{0.5 * 0.1 + 0.5 * 0.95} \approx 0.90$$

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Sunny	10%
Rainy	90%
Sunny	95%
Rainy	5%

# INFORMATION CONTENT ANALYSIS

- Bayes' theorem
- Multivariate Gaussian distributions + additive obs. noise
- Combine AERONET inversion & MODIS observations

→ Can we improve SSA  
retrievals at low AOD?

## Analysis of fine-mode aerosol retrieval capabilities by different passive remote sensing instrument designs

Kirk Knobelspiesse,<sup>1,2,\*</sup> Brian Cairns,<sup>1</sup> Michael Mishchenko,<sup>1</sup> Jacek Chowdhary,<sup>3,1</sup> Kostas Tsigaridis,<sup>3,1</sup> Bastiaan van Diedenhoven,<sup>3,1</sup> William Martin,<sup>3,1</sup> Matteo Ottaviani,<sup>1,4</sup> and Mikhail Alexandrov<sup>3,1</sup>

<sup>1</sup>NASA Goddard Institute for Space Studies, 2880 Broadway, New York, New York 10025, USA

<sup>2</sup>NASA Postdoctoral Program fellow, USA

<sup>3</sup>Columbia University, 2880 Broadway, New York, New York 10025, USA

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[\\*kirk.knobelspiesse@nasa.gov](mailto:kirk.knobelspiesse@nasa.gov)

# INFORMATION CONTENT ANALYSIS

$$\hat{\mathbf{S}}^{-1} = \mathbf{K}^T \mathbf{S}_\varepsilon^{-1} \mathbf{K} + \mathbf{S}_a^{-1}$$

## Analysis of fine-mode aerosol retrieval capabilities by different passive remote sensing instrument designs

Kirk Knobelspiesse,<sup>1,2,\*</sup> Brian Cairns,<sup>1</sup> Michael Mishchenko,<sup>1</sup> Jacek Chowdhary,<sup>3,1</sup> Kostas Tsigaridis,<sup>3,1</sup> Bastiaan van Diedenhoven,<sup>3,1</sup> William Martin,<sup>3,1</sup> Matteo Ottaviani,<sup>1,4</sup> and Mikhail Alexandrov<sup>3,1</sup>

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# AERONET SSA

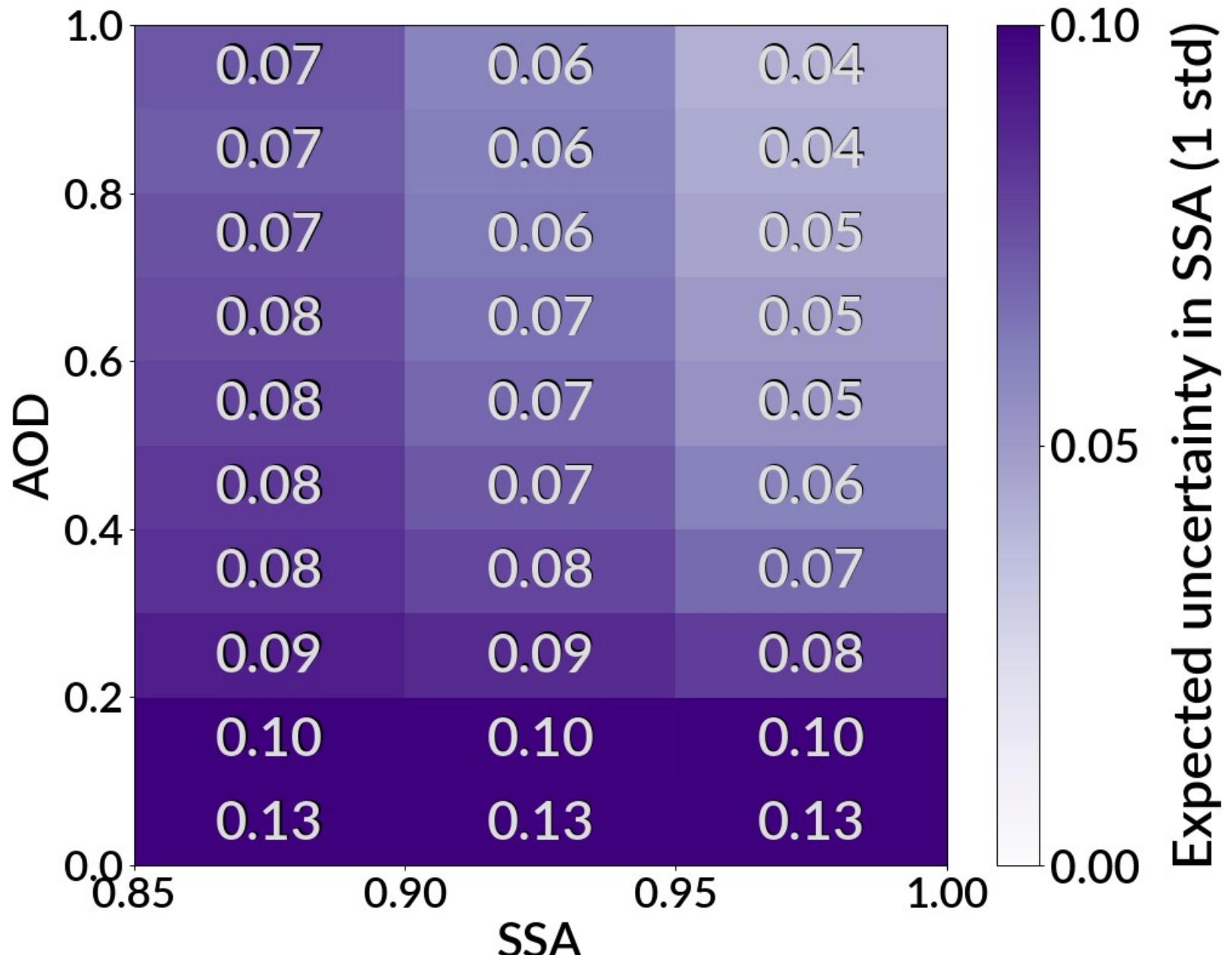
- Available in the inversion product
  - Level-2
    - AOD (at 440 nm) > 0.4
- 

## Technical details:

- Analysis based on radiative transfer (libRadtran) simulations
- MODIS bands 1-8 used, SZA=65°
- AERONET almucantar radiances at 440, 675, 870, 1020 nm, SZA=65°
- 2.5% uncertainty in MODIS reflectance, 5% AERONET almucantar radiances
- Parameters to be estimated
  - AOD, SSA, ozone, aerosol layer height, Angstrom exponent (AE), absorbing AE, asymmetry parameter, surface pressure

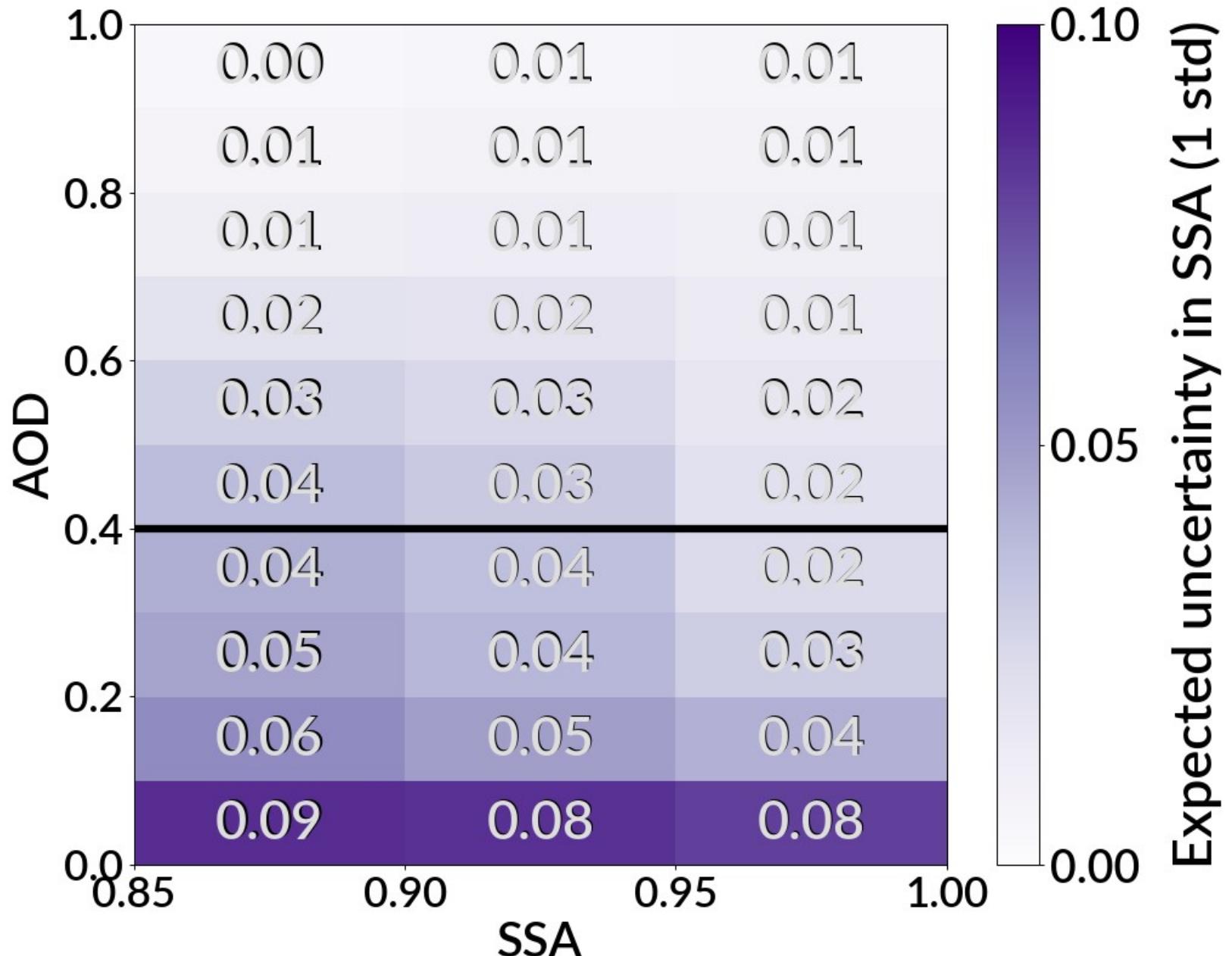
# SSA

## MODIS



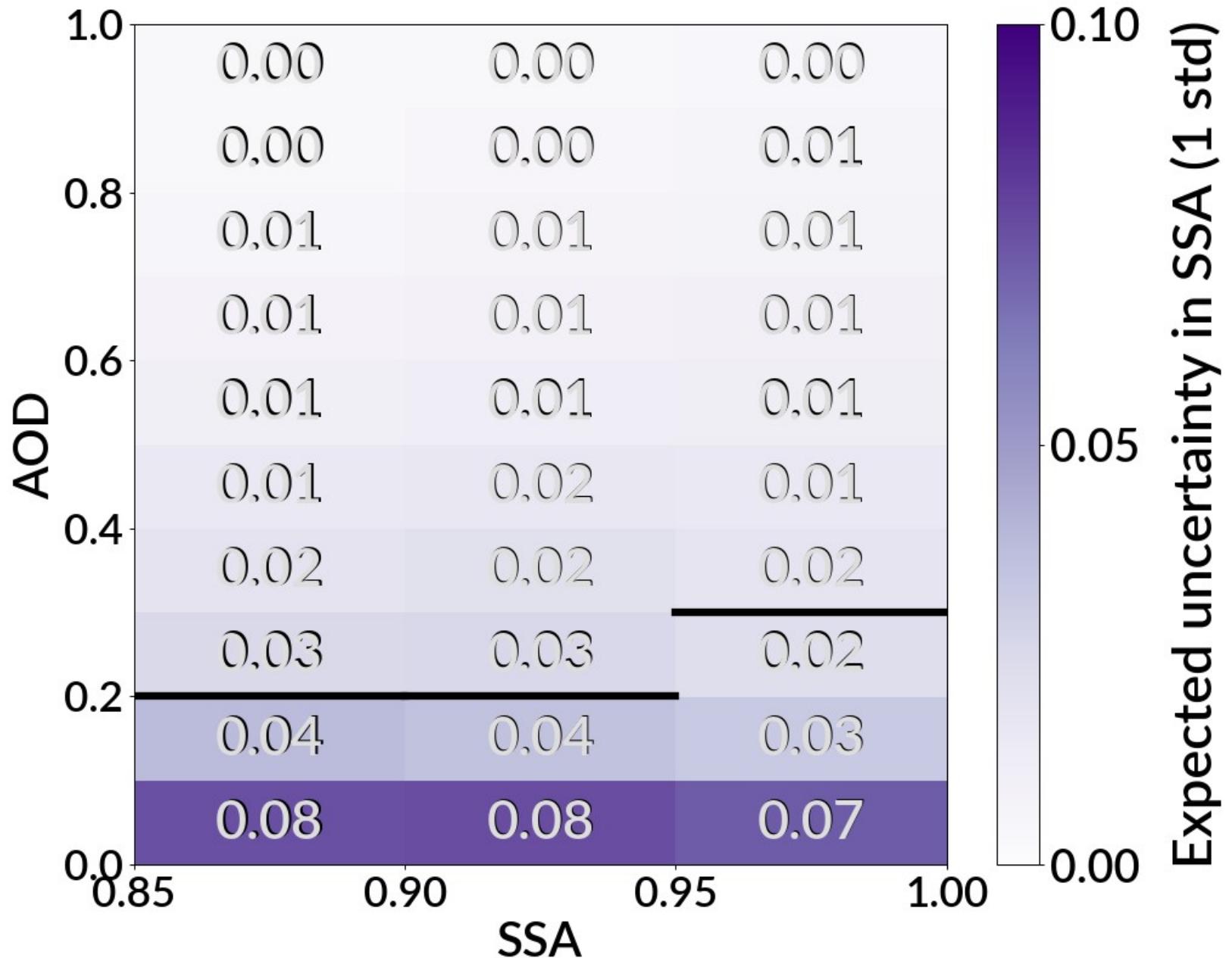
# SSA

## AERONET



**SSA**

## AERONET + MODIS



- Bayes theorem' is a useful tool for info content analysis
- Combining bottom-of-the-atmosphere (BOA) and top-of-the-atmosphere (TOA) observations may improve the SSA retrievals
- Improved retrievals of SSA (and possibly other aerosol parameters) may help aerosol typing



**Bayes' theorem is useful in info  
content analysis**

**Sometimes  $1 + 1 > 2$**

**Improved SSA retrievals may  
help aerosol typing**



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